

National Central University Graduate Institute of Applied Geology



Paper review

Modeling aquifer-system compaction and predicting land subsidence in central Taiwan

Hung, W.C, Hwang, C., Liou, J.C, Lin, Y.S, Yang, H.L

Engineering Geology

Student:Vu N. T. NguyenAdvisor:Prof. Shih-Jung Wang

Date: 2022/04/22

CONTENT

- 1. Introduction
- 2. Methodology
 2.1 Subsidence observations
 2.2 Stress and strain at CGSG well
 2.3 Modeling compaction
- 3. Results and discussion
- 4. Conclusions
- 5. Future works

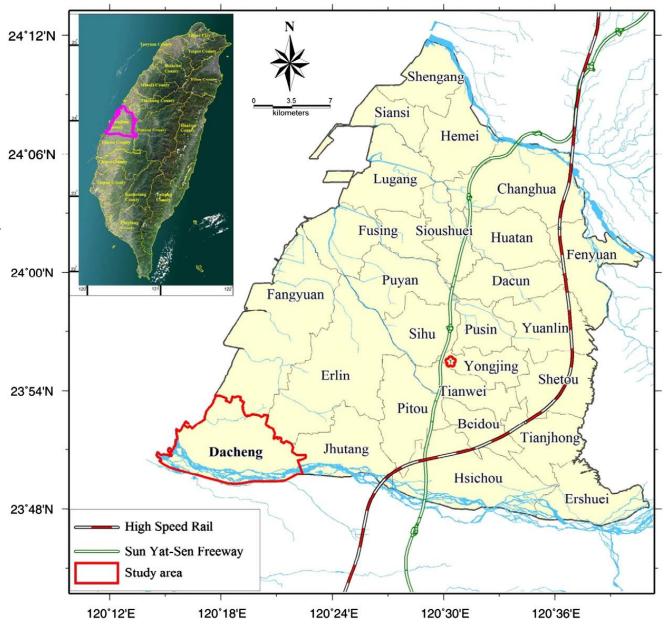
Introduction

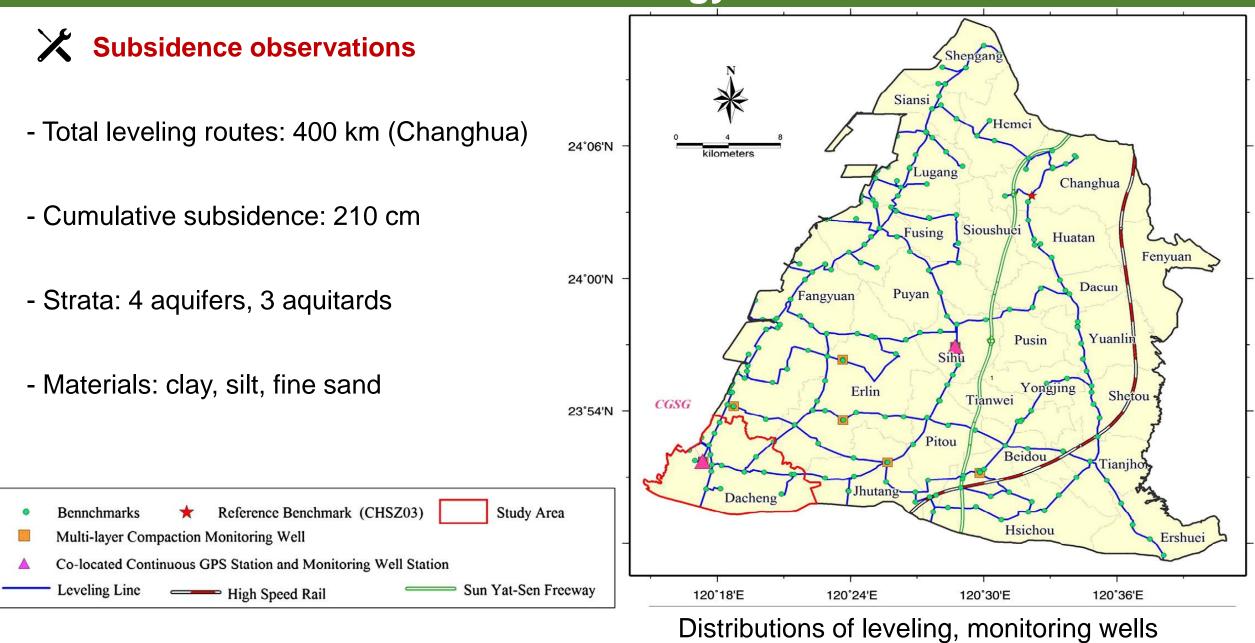
Changhua County:

- Many major economic development projects
- Groundwater has been pumped massively, resulting in severe land subsidence
- Research land subsidence to forecast and develop an optimal GW management strategy
- **The study area:** Dacheng Township in Changhua, Taiwan

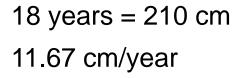
In this paper:

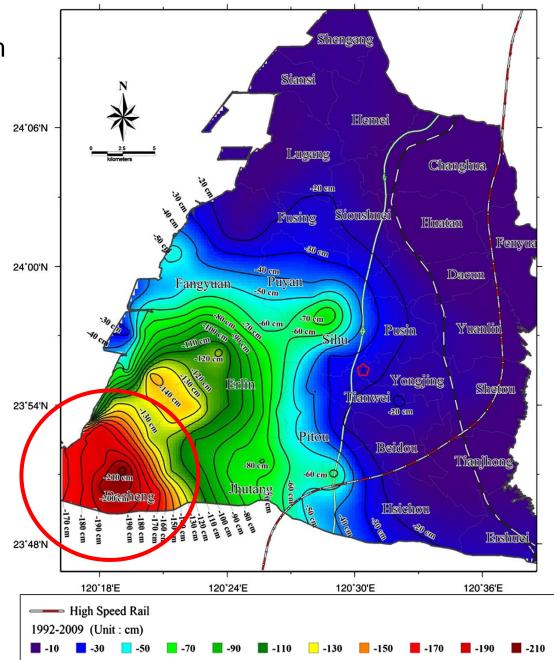
- Observation (GPS, leveling, monitoring wells)
- Use a one-dimensional compaction model





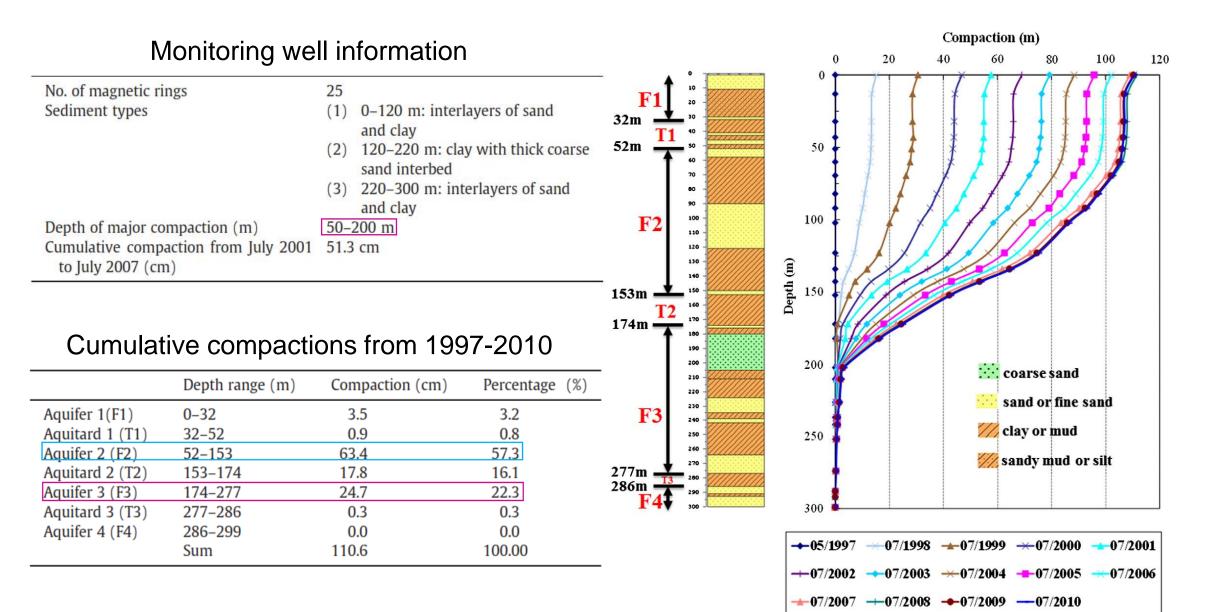
and GPS station





Cumulative subsidence in Changhua from 1992-2010

- Cumulative subsidence: 210 cm
- Strata: 4 aquifers, 3 aquitards
- Materials: clay, silt, fine sand

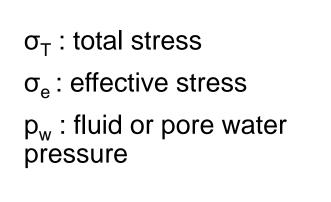


Cumulative compactions from 1992-2010

X Stress and strain

Using Terzaghi's theory

 $\sigma_{\rm e} = \sigma_{\rm T} - p_{\rm w}$



In confined aquifer,

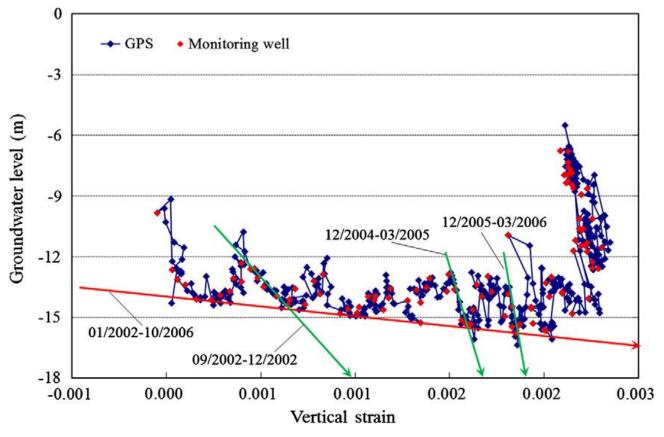
$$\Delta \sigma_{\rm e} = -\Delta p_{\rm w}$$

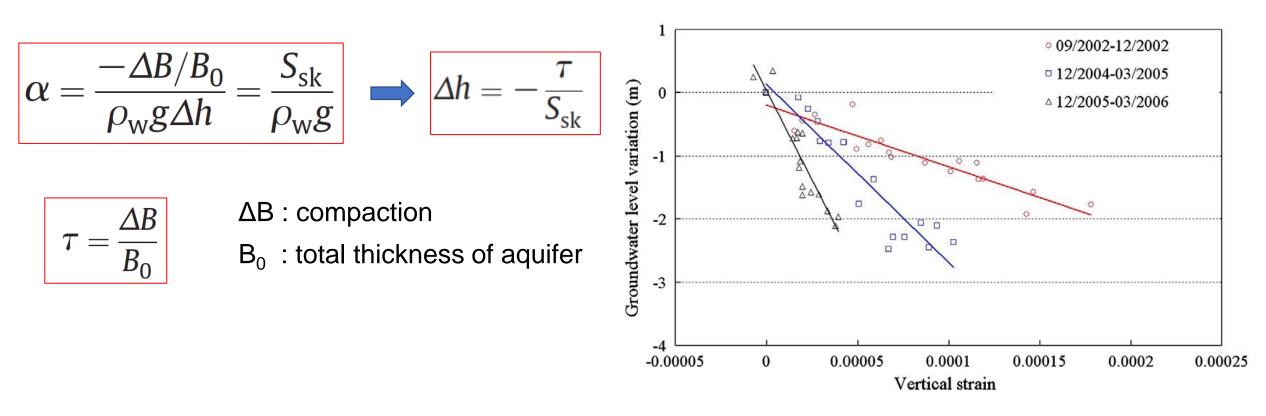
 ρ_w : water density

$$\Delta p_{
m w}=
ho_{
m w}g\Delta h$$

- : gravity Q
- Δh : various of groundwater level

The relationship between groundwater level and strains





Relations between strain and groundwater variation

compressibility (α) \longleftrightarrow porosity (e) \longleftrightarrow skeletal specific (S_{sk})

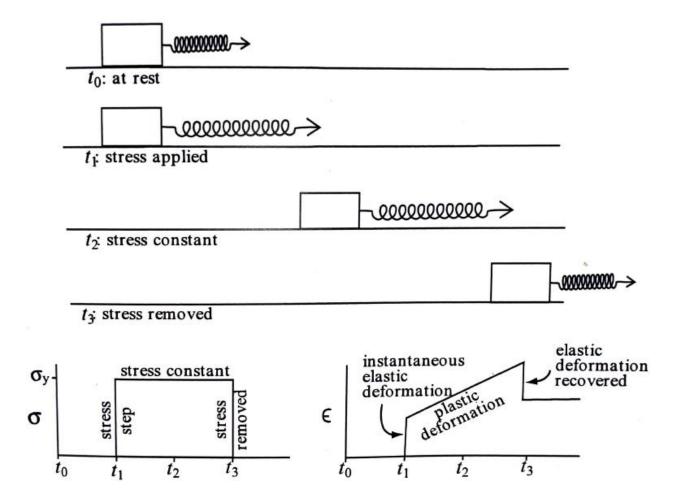
Modeling compaction

The principle :

$$\Delta B = \Delta b + \Delta b^{'}$$

 $\Delta b = -S_{\rm ske}b_{0}\Delta h$
 $\Delta b^{'} = N_{\rm equiv}\Delta b^{*}$

- Δb : elastic compaction
- $\Delta b'$: elastoplastic compaction
- N_{equiv} : num of clay interbeds
- Δb^* : fine-grained sediment compaction
- $\mathbf{S}_{\mathsf{ske}}$: elastic skeletal specific storage
- b₀: total thickness
- Δh : variation of groundwater level



Elastoplastic behavior demonstration

Resource: Structural Analysis and Synthesis book

$$S_{\rm sk}^* = \begin{cases} S_{\rm ske}^* \, {\rm for} \sigma_{\rm e} < \sigma_{\rm max} \\ S_{\rm skv}^* \, {\rm for} \sigma_{\rm e} \ge \sigma_{\rm max} \end{cases}$$

 S_{skv}^{*} :Inelastic skeletal specific storage S_{ske}^{*} :Elastic skeletal specific storage

Compaction of the fine-grained sediments:

$$\Delta b^{*} = \frac{\Delta z}{2} \left\{ S_{\text{ske}}^{*} \sum_{j=1}^{J-1} \left[(\Delta h_{\text{e}})_{j}^{n} + (\Delta h_{\text{e}})_{j+1}^{n} \right] - S_{\text{skv}}^{*} \sum_{j=1}^{J-1} \left[(\Delta h_{\text{v}})_{j}^{n} + (\Delta h_{\text{v}})_{j+1}^{n} \right] \right\}$$

$$(\Delta h_{\rm e})_{j}^{n} = (h_{\rm prec})_{j}^{n} - h_{j}^{n} \qquad h_{j}^{n} \qquad \text{groundwater level at step n} \\ (\Delta h_{\rm v})_{j}^{n} = (h_{\rm prec})_{j}^{n} - (h_{\rm prec})_{j}^{0} \qquad (h_{\rm prec})_{j}^{n} \qquad \text{preconsolidation stress}$$

Results and discussion



Estimated parameters for one-dimensional compaction

Model validation and compaction prediction

Compaction data from 01/2003 to 06/2008

Layer (depth range)	Estimated parameters				
	$\overline{K_z^*}$ (m/y)	S_{skv}^{*} (1/m)	S_{ske}^* (1/m)	$h_{prec}^{0}\left(m ight)$	
Aquifer 2 (52–153 m)	3.12×10^{-03}	3.19×10 ⁻⁰³	4.07×10^{-04}	- 5.626	
Aquitard 2 (153–174 m)	5.29×10^{-04}	2.51×10^{-02}	3.13×10^{-03}	-1.261	
Aquifer 3 (174–277 m)	6.20×10^{-04}	1.25×10^{-02}	4.28×10^{-04}	-2.047	

Estimated parameters it time constant

Layer	Time constant (years)
Aquifer 2	238.3
Aquitard 2	5221.6
Aquifer 3	1106.3

Observation and model cumulative compaction

Layer	Obs. total compaction (cm)	Pred. total compaction (cm)	MAPE
Aquifer 2 (52–153 m)	- 14.3	- 15.0	8%
Aquitard 2 (153–174 m)	-6.6	-7.2	7%
Aquifer 3 (174–277 m)	- 14.6	- 14.6	5%

MAPE : mean absolute percentage error

Conclusions

This paper used the compaction model to explain the observed land subsidence. The modeling fitted well with the observations.

The main deformation in Dacheng caused by stratum compaction occurs in the vertical direction.

Simulation of land subsidence based on four estimated hydrogeological parameters results in an average mean absolute percentage error below 10%, so the model can be used to predict future land subsidence.

The water management agency of Taiwan can use this model to estimate land subsidence under various situations with confidence.

Future works

- 1. Researching the relation of geology-hydrology and applications
- 2. Building a compaction model



