

# Temperature distribution in coastal aquifers: Insights from groundwater modeling and field data

A.M. Blanco-Coronas a, C. Duque, M.L. Calvache, M. L´opez-Chicano,2021, Journal of Hydrology

Presenter: 許安誼 An-Yi Hsu

Advisor: 倪春發 Chuen-Fa Ni

# Table of contents

Introduction

Sensitivity analysis

Conclusions

Methodology

Results

Future work

# Introduction

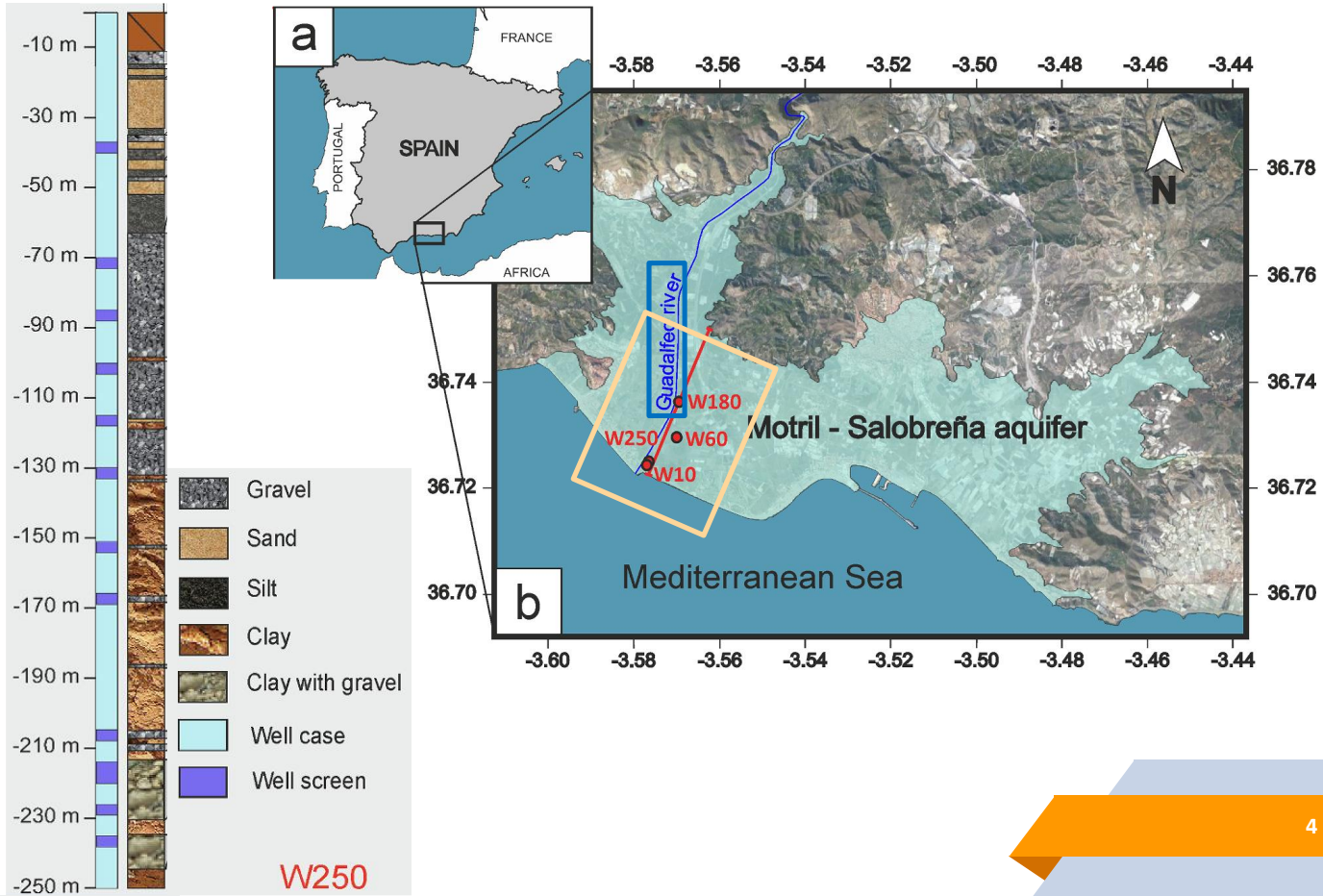
Possible heat sources of coastal aquifer:

Surface water  
recharge

Geothermal  
heat

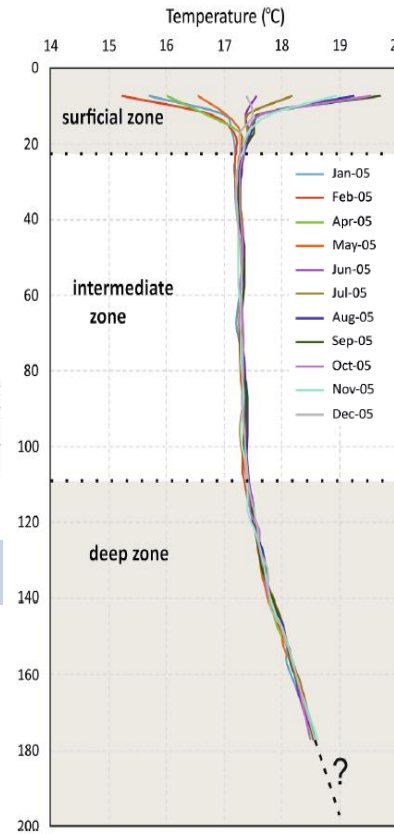
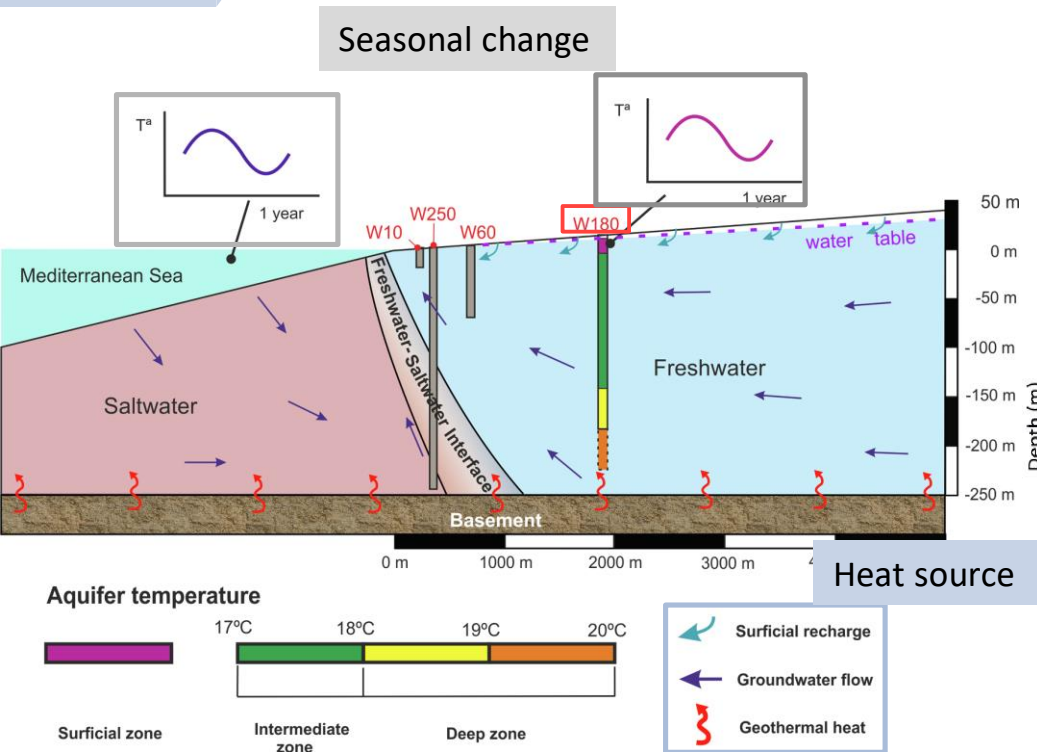
Sea infiltration

- This research considered all possible sources of heat in a coastal aquifer by using a combination of field data and numerical modeling
- This research considered the variable-density flow, coupled heat and solute transport to set up the model.
- The position of the freshwater-saltwater interface (FSI) and its effect on temperature distribution have been modeled



# Introduction

## Temperature vertical profiles in W180



Thermal conceptual model

# Methodology

Heat transport is analogous to solute transport in groundwater modeling, adapted This research use SEAWAT to run the numerical model equation to assign suitable thermal parameters for temperature species

## Solute transport equation

$$\left(1 + \frac{\rho_b K_d^k}{\theta}\right) \frac{\partial(\theta C^k)}{\partial t} = \nabla \left[ \theta \left( D_m^k + \alpha \frac{q}{\theta} \right) \nabla C^k \right] - \nabla(q C^k) - q'_s C_s^k$$

## Heat transport equation

$$\left(1 + \frac{1 - \theta}{\theta} \frac{\rho_s C_{Psolid}}{\rho C_{Pfluid}}\right) \frac{\partial(\theta T)}{\partial t} = \nabla \left[ \theta \left( \frac{k_{Tbulk}}{\theta \rho C_{Pfluid}} + \alpha \frac{q}{\theta} \right) \nabla T \right] - \nabla(q T) - q'_s T_s$$

$$K_d^t = \frac{C_{Psolid}}{C_{Pfluid} \cdot \rho}$$

$$D_m^t = \frac{k_{Tbulk}}{\theta \rho C_{Pfluid}}$$

$D_m^t$ : Thermal conduction

$\rho_b$ : bulk density of solid  
 $K_d^k$ : distribution coefficient of species k  
 $C^k$ : concentration of species k  
 $D_m^k$ : molecular diffusion coefficient  
 $\alpha$ : dispersivity tensor  
 $q$ : specific discharge  
 $q'_s$ : fluid source or sink  
 $C_s^k$ : is the source or sink concentration of species k

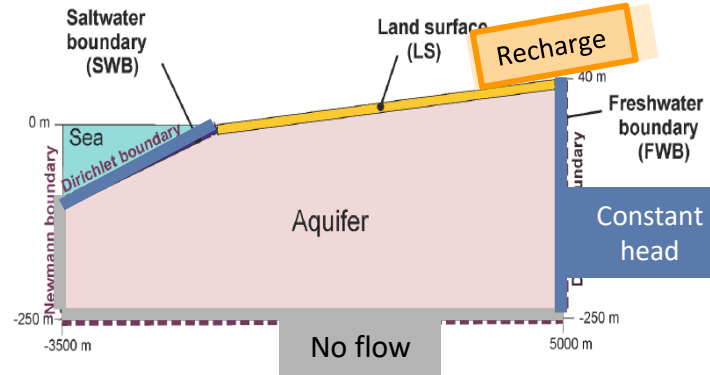
$\rho_s$ : density of the solid  
 $\rho$ : fluid density  
 $C_{Psolid}$ : specific heat capacity of the solid  
 $C_{Pfluid}$ : specific heat capacity of the fluid  
 $T$ : temperature  
 $k_{Tbulk}$ : bulk thermal conductivity of the aquifer material  
 $T_s$ : source temperature  
 $K_d^t$ : distribution coefficient of thermal  
 Bulk density:  $\rho_b = \rho_s(1 - \theta)$

# Methodology

Table 1

Input values of the parameters for the :

Input parameters	Case study model
Specific storage	$1E-5 \text{ m}^{-1}$
Specific yield	0.25
Porosity $\theta$	0.3
Longitudinal dispersivity	10 m
Horizontal transverse dispersivity	5 m
Vertical transverse dispersivity	5 m
Freshwater salinity $S_1$	350 mg/L
Saltwater salinity $S_2$	35000 mg/L
Freshwater boundary head $H_1$	17 m
Saltwater boundary head $H_2$	0 m
Freshwater temperature $T_1$	16.7 °C
Saltwater temperature $T_2$	16.7 °C
Basement temperature $T_3$	20.05 °C
River water temperature oscillation $TO_1$	Sinus function 12–26 °C
Seawater temperature oscillation $TO_2$	Sinus function 14–24 °C
Molecular diffusion coefficient $D_m^*$	$1E-10 \text{ m}^2/\text{d}$
Thermal conductivity of water $k_{Tfluid}$	$0.58 \text{ W}/\text{m}^\circ\text{K}$
Thermal conductivity of sediments $k_{Tsolid}$	$2.9 \text{ W}/\text{m}^\circ\text{K}$
Specific heat of water $C_{Tfluid}$	$4186 \text{ J}/\text{kg}^\circ\text{K}$
Specific heat of sediments $C_{Tsolid}$	$830 \text{ J}/\text{kg}^\circ\text{K}$
Thermal diffusivity $D_m^T$	$0.15 \text{ m}^2/\text{d}$
Bulk thermal conductivity $k_{Tbulk}$	$1.8 \text{ W}/\text{m}^\circ\text{K}$
Thermal distribution factor $K_d^T$	$2E-7 \text{ L}/\text{mg}$
Density change with concentration	0.7
Density change with temperature	$-0.375 \text{ kg}/(\text{m}^3 \text{ } ^\circ\text{C})$
Density vs pressure head slope	$0.00446 \text{ kg}/\text{m}^4$
Bulk density $\rho_b$	$1800 \text{ kg}/\text{m}^3$
Reference temperature	25 °C
Viscosity vs concentration slope	$1.923E-6 \text{ m}^4/\text{d}$
Reference viscosity	$86.4 \text{ kg}/\text{m d}$



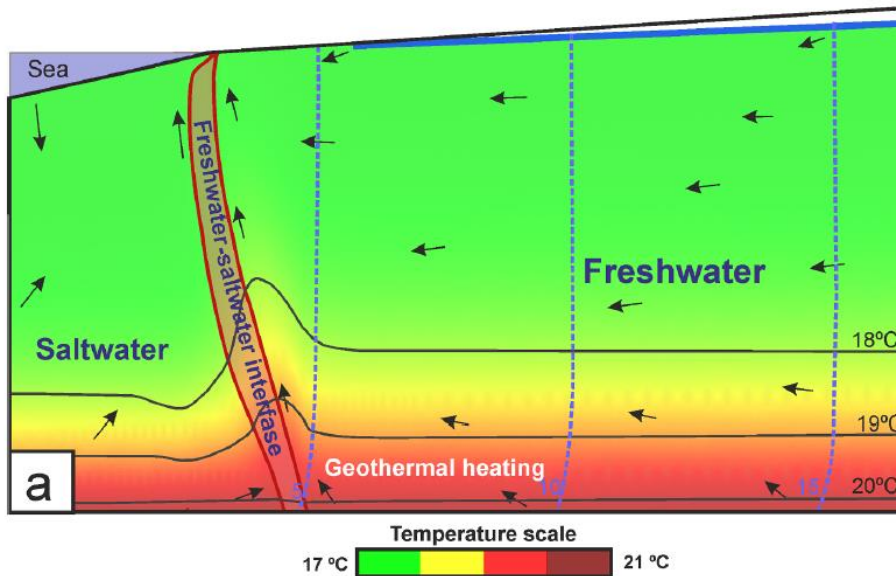
Constant head and salinity

Constant thermal boundary

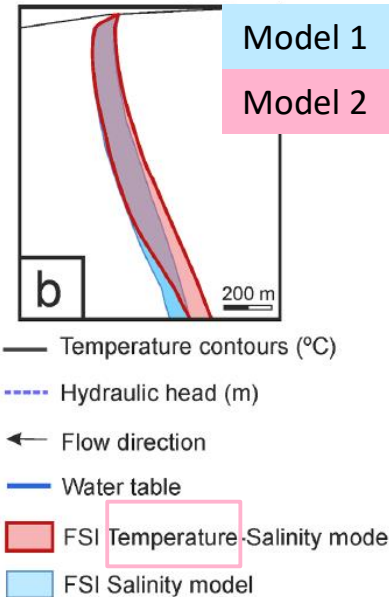
Seasonal temperature change

## Compare FSI position between Model 2 and Model 1

Freshwater-saltwater interface (FSI)



Model 2 thermal distribution



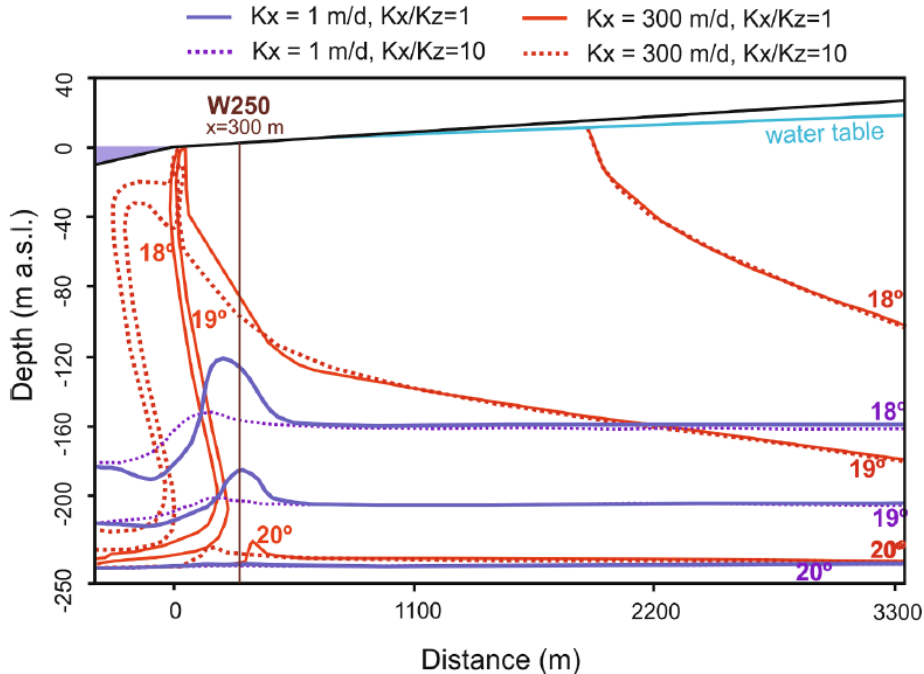


# Sensitivity analysis

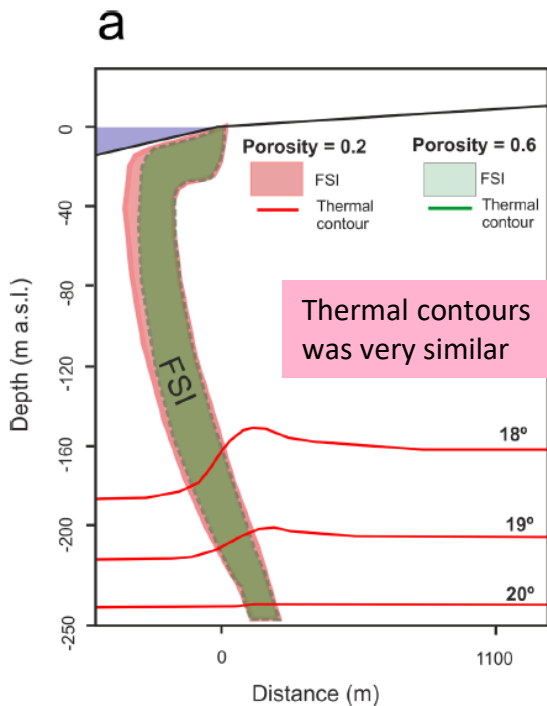
## Sensitivity analysis of hydraulic conductivity

$K_x/K_z$  : Anisotropic ratios

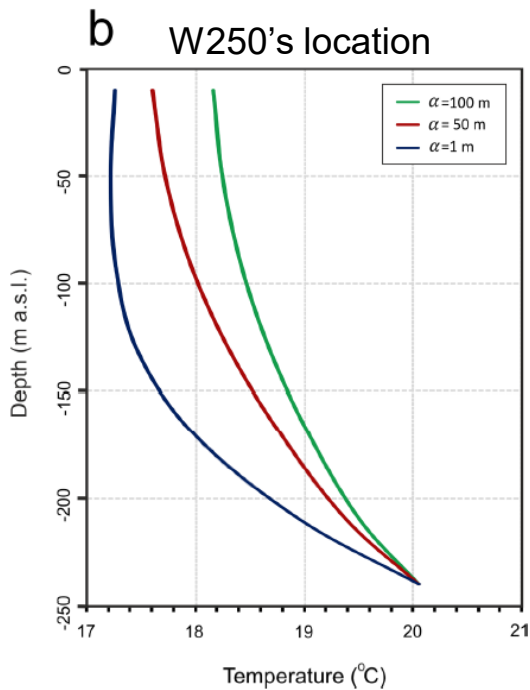
### Thermal contour



## Sensitivity analysis of Porosity $\theta$



## Sensitivity analysis of Dispersivity $\alpha$

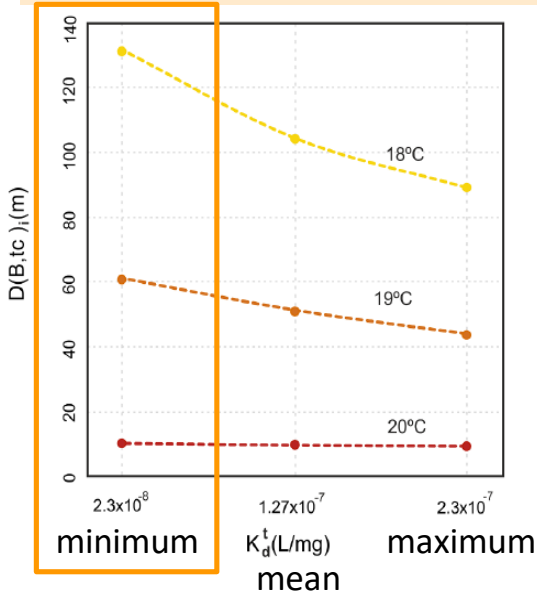


# Sensitivity analysis

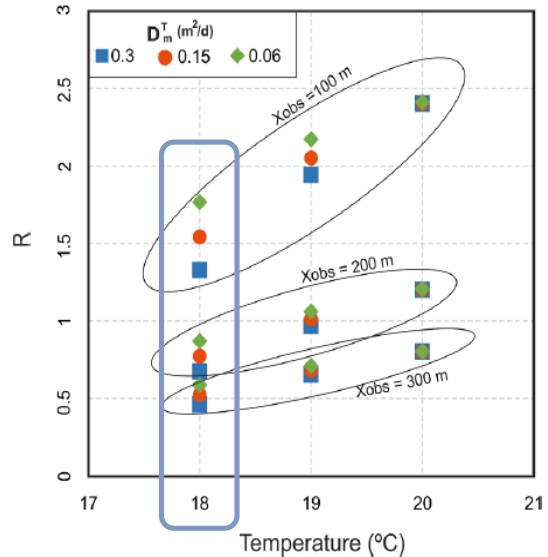
$$K_d^t = \frac{C_{Psolid}}{\rho C_{Pfluid}}$$

$$D_m^T = \frac{k_{Tbulk}}{\theta \rho C_{Pfluid}}$$

## Thermal distribution coefficient $K_d^t$



## Thermal diffusivity $D_m^T$



$$R = \frac{Z_{sl} - Z_{tci}}{X_{obs}}$$

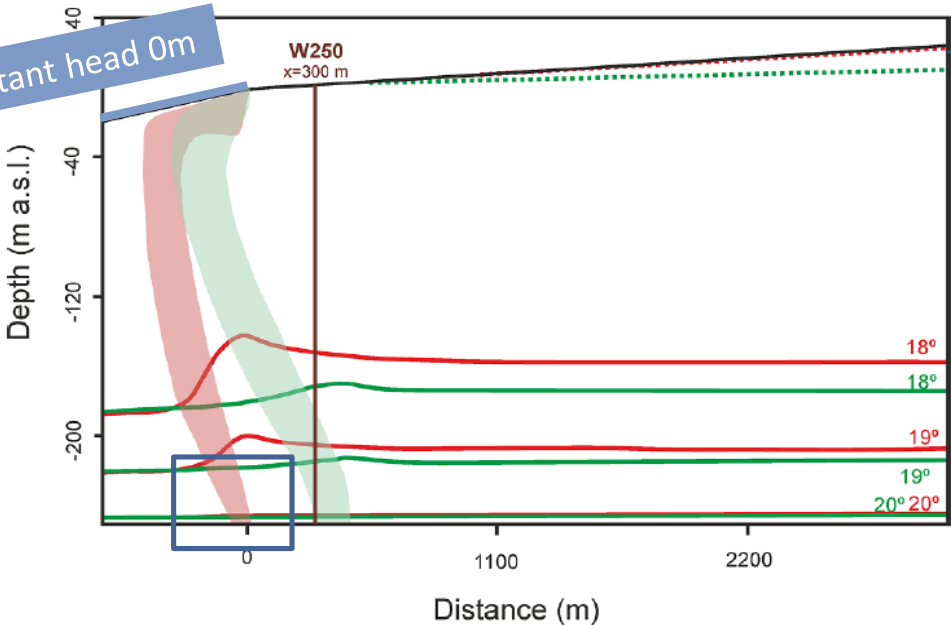
$D(B,tc)$ : vertical distance from the aquifer basement to each thermal contour

$Z_{sl}$  = the elevation of sea level

$Z_{tci}$  = the elevation of the thermal contour

Sensitivity analysis of hydraulic gradient  $\Delta h$

Constant head 0m



35m  
15m

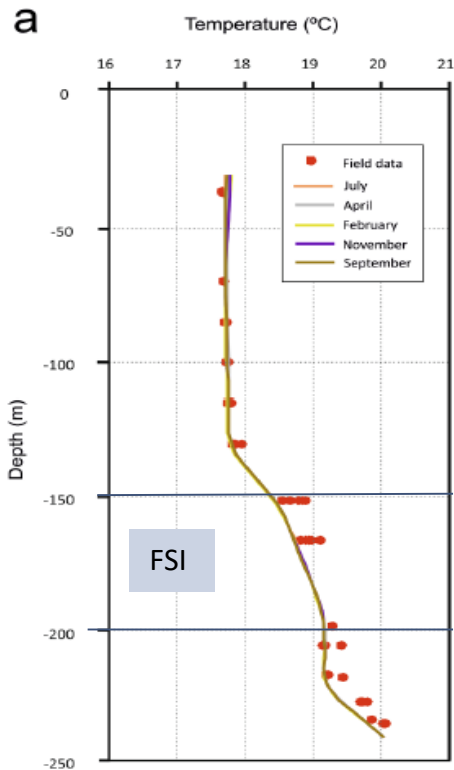
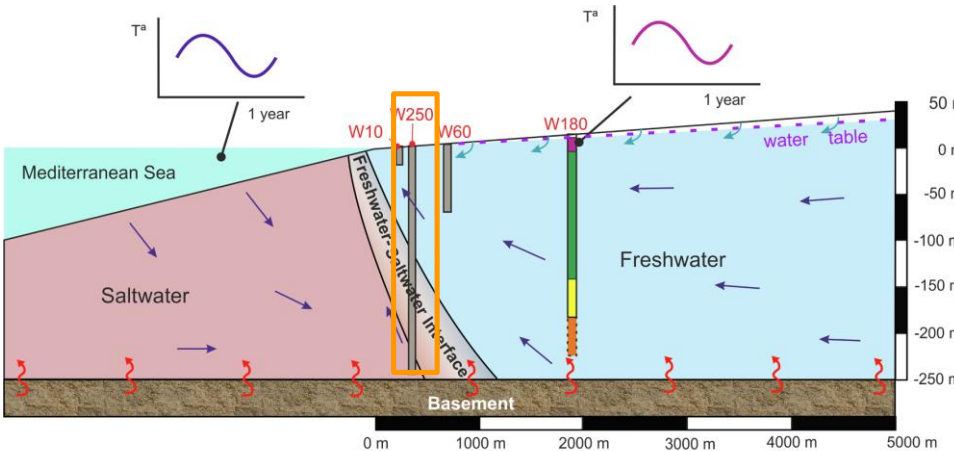
**$\Delta h = 0.003$**

- FSI
- Thermal contour
- Water table

**$\Delta h = 0.007$**

- FSI
- Thermal contour
- Water table

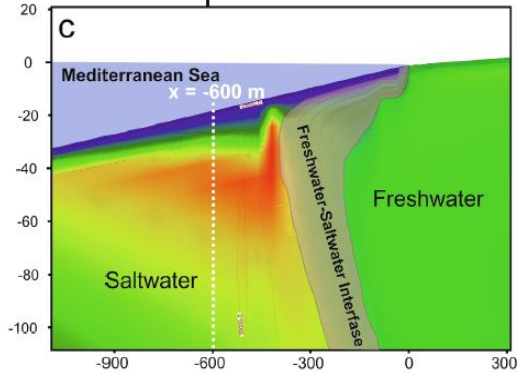
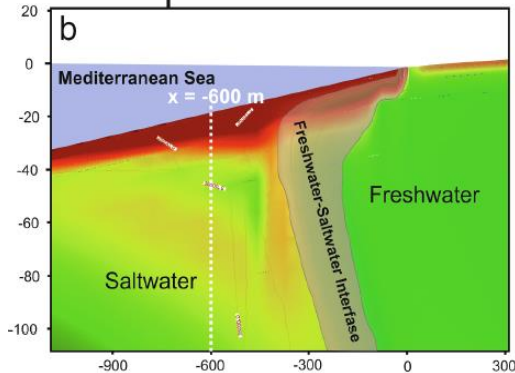
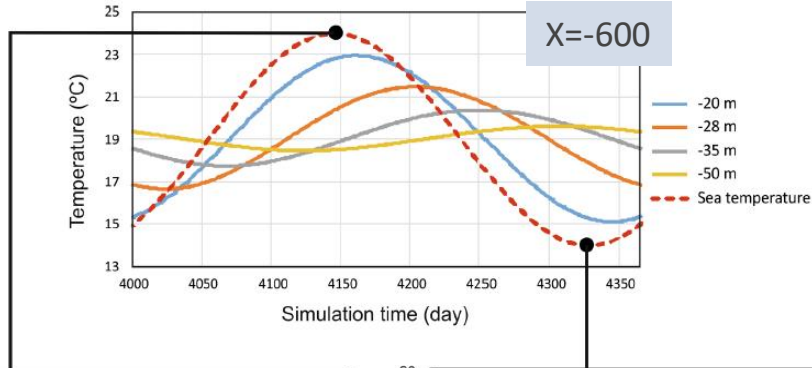
# Results



W250 V.S. Model x=300m

to set up, the basement has been  
temperature 20.05

# Compare the temperature distribution



# Conclusions

- K is the most controlling parameter in the temperature distribution of a coastal aquifer
- The  $K_x/K_z$  ratio had a notable influence on the vertical component of heat transport
- This research is the first in considering all possible sources of heat in a coastal aquifer simultaneously by using a combination of field data and numerical modeling.
- FSI is the thermal barrier that separates the temperature of the saltwater and freshwater
- In this study, we discussed the major processes and the effect of parameters on the application of temperature in coastal aquifers.

# Future work

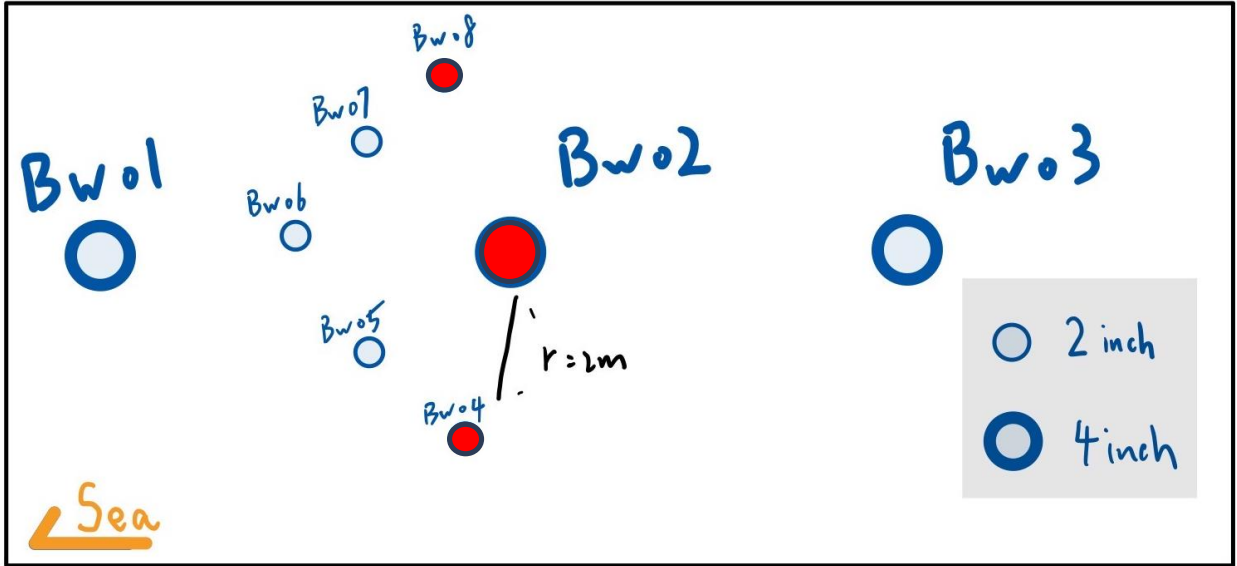
- Because of the deterioration of marine environment, it is necessary to identify the groundwater flow's direction



ow's

eld in





Change heating things B: B0208



**Thank you for listening**

# Result

模型hydraulic conductivity是照W250岩心  
溫度邊界依據W180底部有20.05度固定溫度  
右邊淡水16.7度(中間那段溫度approximate value )  
水流邊界5000 mm/yr補注量，水流溫度計節變化  
模型運行15年在第9年FSI跟地熱處於穩態，表層會季節  
性變化

Table 1

Input values of the parameters for the sensitivity analysis and study model.

Input parameters	Sensitivity analysis	Case study model	Source
Specific storage	$1E-5 \text{ m}^{-1}$	$1E-5 \text{ m}^{-1}$	Calvache et al. (2015)
Specific yield	0.25	0.25	Similar value to Calvache et al. (2009)
Porosity $\theta$	0.2–0.6	0.3	Duque et al. (2008)
Longitudinal dispersivity	1–100 m	10 m	Saufer et al. (2013)
Horizontal transverse dispersivity	0.5–50 m	5 m	Saufer et al. (2013)
Vertical transverse dispersivity	0.5–50 m	5 m	Saufer et al. (2013)
Freshwater salinity $S_1$	350 mg/L	350 mg/L	Field observations
Saltwater salinity $S_2$	35000 mg/L	35000 mg/L	Field observations
Freshwater boundary head $H_1$	15–35 m	17 m	Field observations
Saltwater boundary head $H_2$	0 m	0 m	Field observations
Freshwater temperature $T_1$	17.2 °C	16.7 °C	Field observations
Saltwater temperature $T_2$	13 °C	16.7 °C	Manca et al. (2004)
Basement temperature $T_3$	19–30 °C	20.05 °C	Field observations
River water temperature oscillation $TO_1$	–	Sinus function 12–26 °C	Based on Duque et al. (2010)
Seawater temperature oscillation $TO_2$	–	Sinus function 14–24 °C	State of Harbors (Spanish Ministry)
Molecular diffusion coefficient $D_m^i$	$1E-10 \text{ m}^2/\text{d}$	$1E-10 \text{ m}^2/\text{d}$	Langevin et al. (2007)
Thermal conductivity of water $k_{Tfluid}$	$0.58 \text{ W}/\text{m}^{\circ}\text{K}$	$0.58 \text{ W}/\text{m}^{\circ}\text{K}$	Langevin et al. (2007)
Thermal conductivity of sediments $k_{Tsolid}$	1–6 $\text{W}/\text{m}^{\circ}\text{K}$	2.9 $\text{W}/\text{m}^{\circ}\text{K}$	Approximate value for gravel (Xiaoqing et al., 2018)
Specific heat of water $C_{Tfluid}$	4186 $\text{J}/\text{kg}^{\circ}\text{K}$	4186 $\text{J}/\text{kg}^{\circ}\text{K}$	Langevin et al. (2007)
Specific heat of sediments $C_{Tsolid}$	100–1000 $\text{J}/\text{kg}^{\circ}\text{K}$	830 $\text{J}/\text{kg}^{\circ}\text{K}$	Approximate value for gravel (Xiaoqing et al., 2018)
Thermal diffusivity $D_m^T$	$0.06\text{--}0.3 \text{ m}^2/\text{d}$	$0.15 \text{ m}^2/\text{d}$	Calculated using eq. (4)
Bulk thermal conductivity $k_{Tbulk}$	$0.87\text{--}4.37 \text{ W}/\text{m}^{\circ}\text{K}$	1.8 $\text{W}/\text{m}^{\circ}\text{K}$	Calculated using eq. (5)
Thermal distribution factor $K_d^T$	$2E-8\text{--}2E-7 \text{ L}/\text{mg}$	$2E-7 \text{ L}/\text{mg}$	Calculated using eq. (3)
Density change with concentration	0.7	0.7	Langevin et al. (2007)
Density change with temperature	$-0.375 \text{ kg}/(\text{m}^3 \text{ }^{\circ}\text{C})$	$-0.375 \text{ kg}/(\text{m}^3 \text{ }^{\circ}\text{C})$	Langevin et al. (2007)
Density vs pressure head slope	$0.00446 \text{ kg}/\text{m}^4$	$0.00446 \text{ kg}/\text{m}^4$	Langevin et al. (2007)
Bulk density $\rho_b$	$1800 \text{ kg}/\text{m}^3$	$1800 \text{ kg}/\text{m}^3$	Calculated with $\rho_b = \rho_s(1 - \theta)$
Reference temperature	25 °C	25 °C	Langevin et al. (2007)
Viscosity vs concentration slope	$1.923E-6 \text{ m}^4/\text{d}$	$1.923E-6 \text{ m}^4/\text{d}$	Langevin et al. (2007)
Reference viscosity	$86.4 \text{ kg}/\text{m d}$	$86.4 \text{ kg}/\text{m d}$	Langevin et al. (2007)

**Table 2**

Hydraulic conductivity values defined in each layer of the study model.

	Thickness (m)	Hydraulic conductivity (m/d)
Layer 1	16	$K_x = K_y = 5$ and $K_z = 0.5$
Layer 2	121	$K_x = K_y = 400$ and $K_z = 40$
Layer 3	63	$K_x = K_y = 30$ and $K_z = 5$
Layer 4	12	$K_x = K_y = 150$ and $K_z = 1$
Layer 5	35	$K_x = K_y = 20$ and $K_z = 2$